

Model Choice in Time Series Studies of Air Pollution and Health

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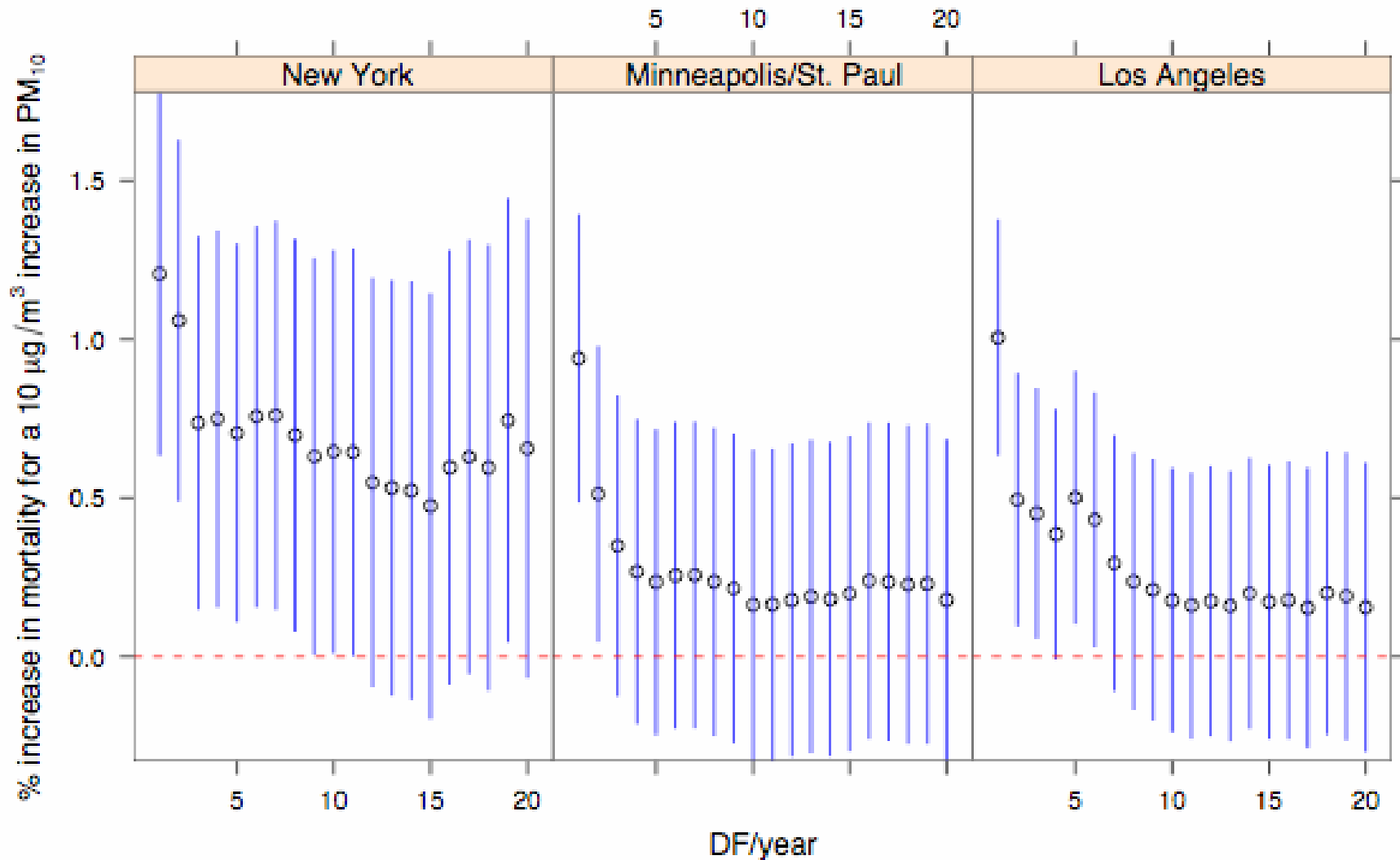
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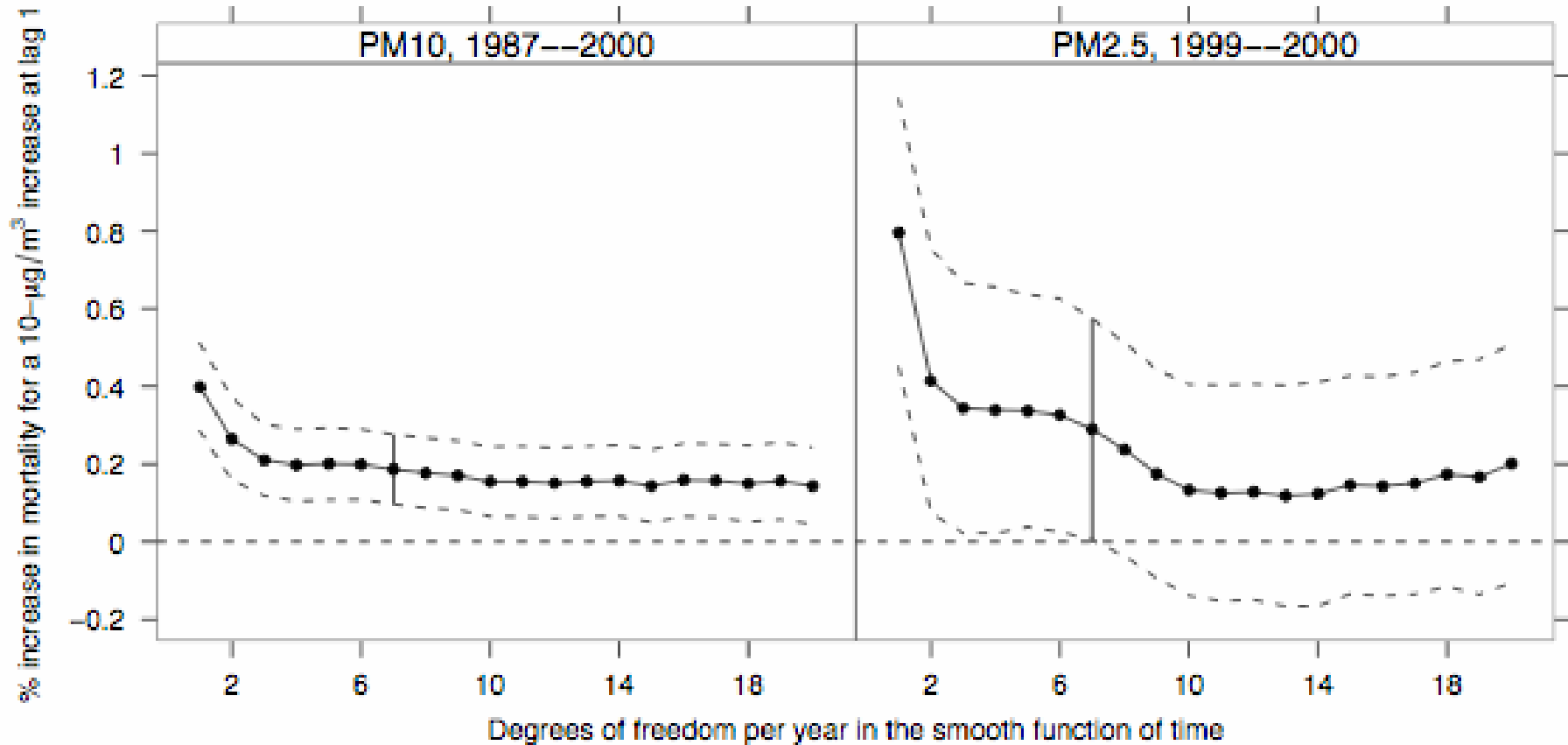
APHA 2007

Sponsors: NIEHS, EPA, Health Effects Institute

City-specific estimates, PM₁₀ and mortality, 1987-2000

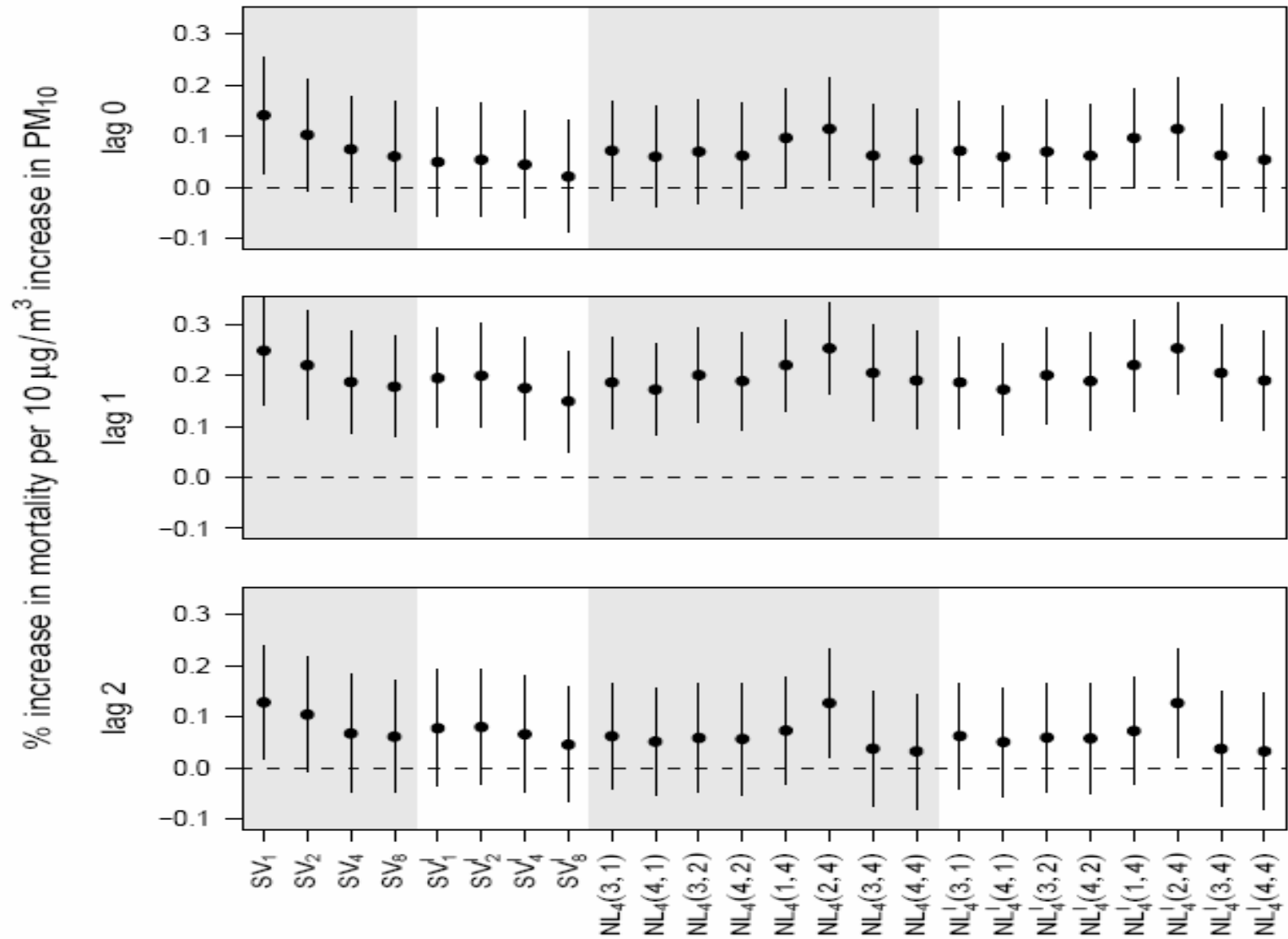


PM₁₀, PM_{2.5} and Mortality, NMMAPS, 100 Cities



Dominici, *et al* 2007

PM₁₀ and Mortality: Sensitivity of the National Average Estimate to Adjustment for Weather (Welty, *et al* 2005)



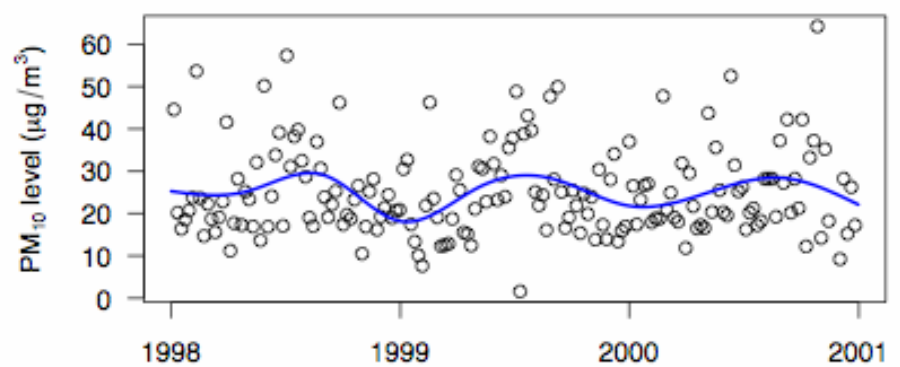
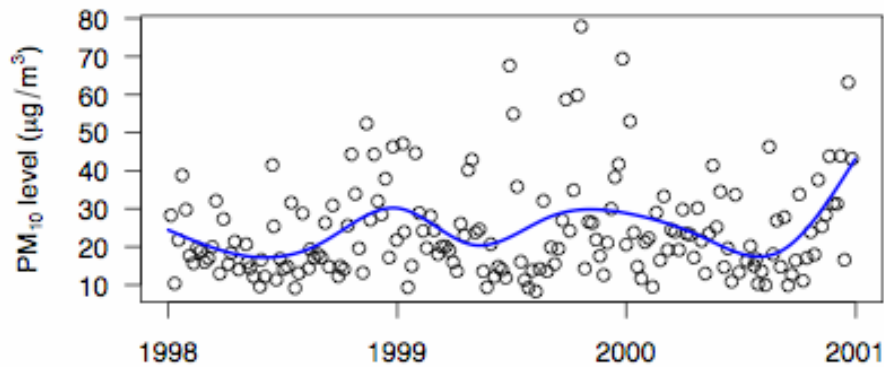
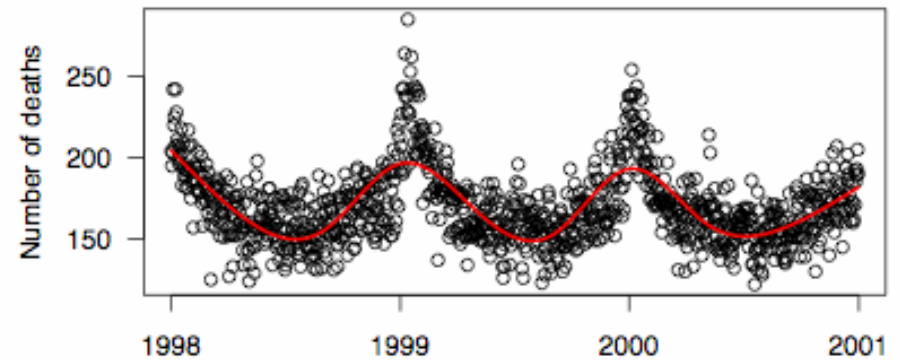
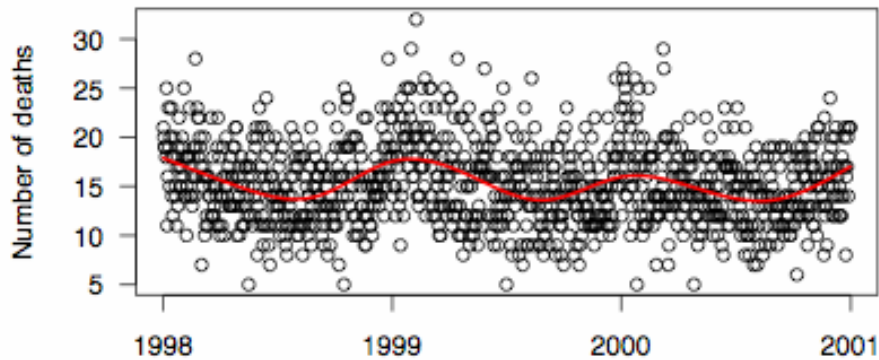
Which Estimate?

- In time series studies of air pollution and health, model choice is important
- Risk is difficult to estimate, signal-to-noise is weak
- Models are complex and risk estimates can be sensitive
- Risk estimates have substantial policy impact

Some air pollution and mortality data

Mortality and PM₁₀ in San Francisco, 1998--2000

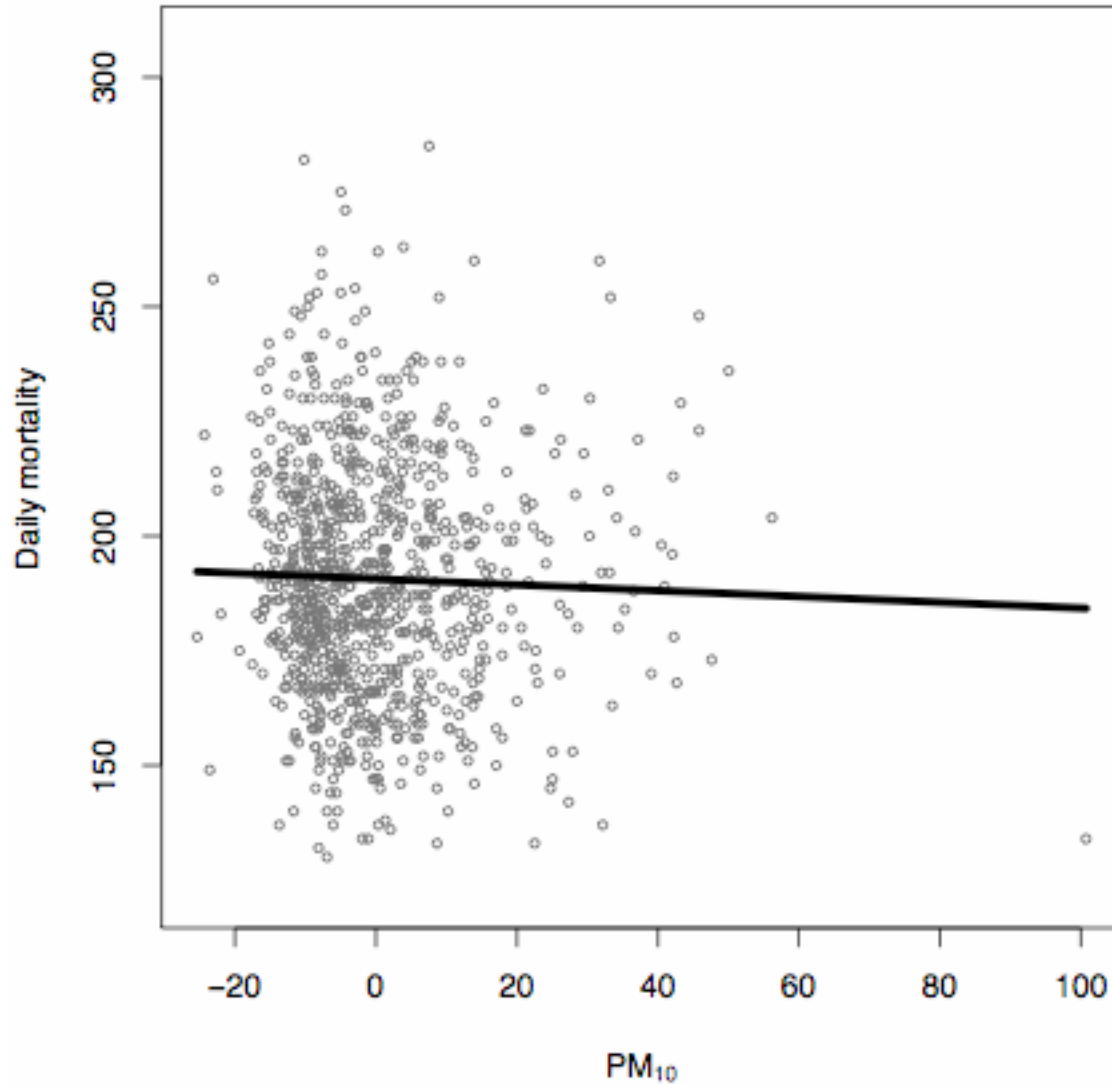
Mortality and PM₁₀ in New York City, 1998--2000



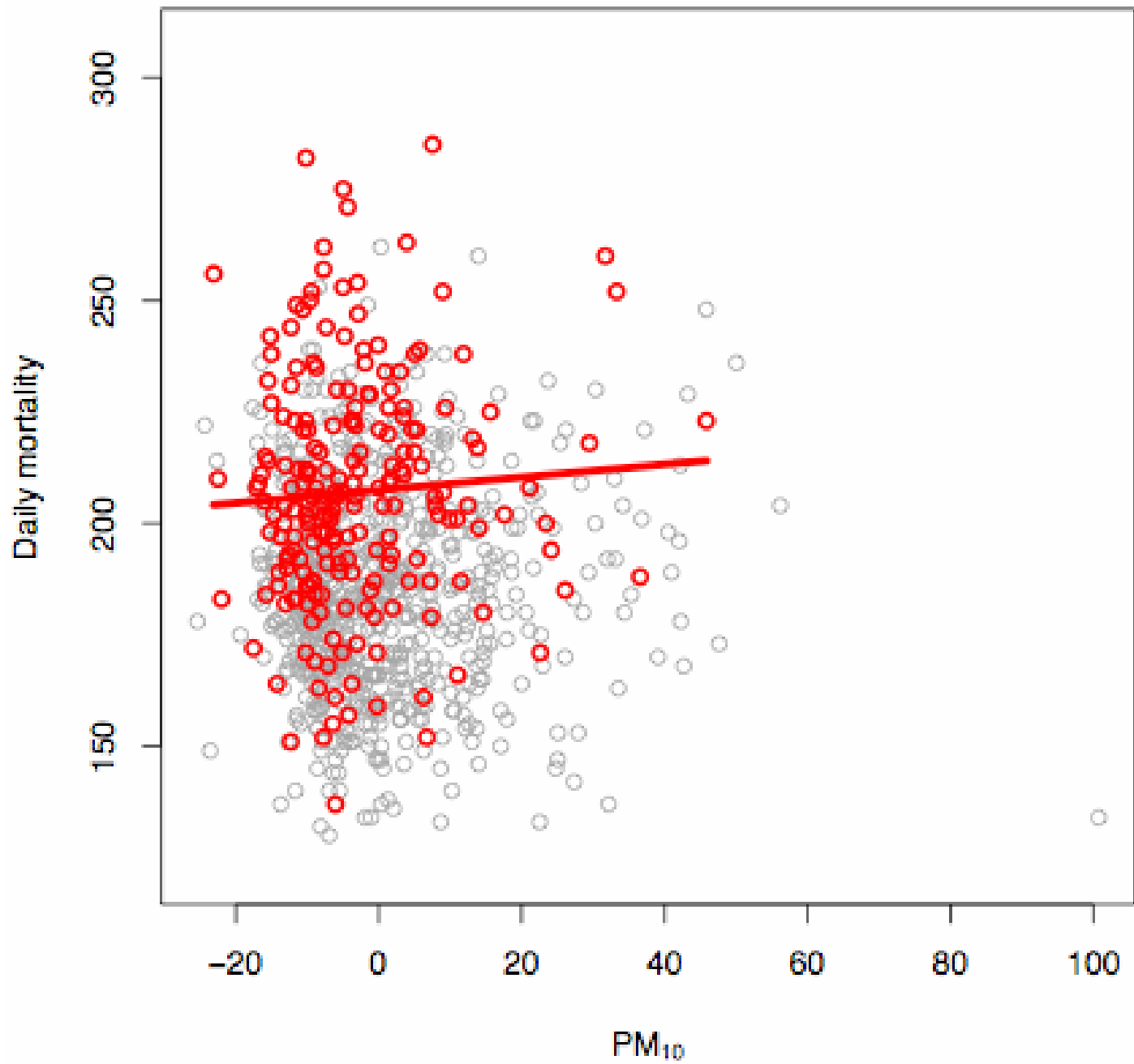
Potential Confounders in Air Pollution and Health Studies

- Smoothly varying seasonal trends
- Long-term trends
 - structural changes in overall population
- Temperature
 - mortality: “J-shaped” relationship
 - PM₁₀: increasing/positive
- Humidity
- Other time-varying factors?

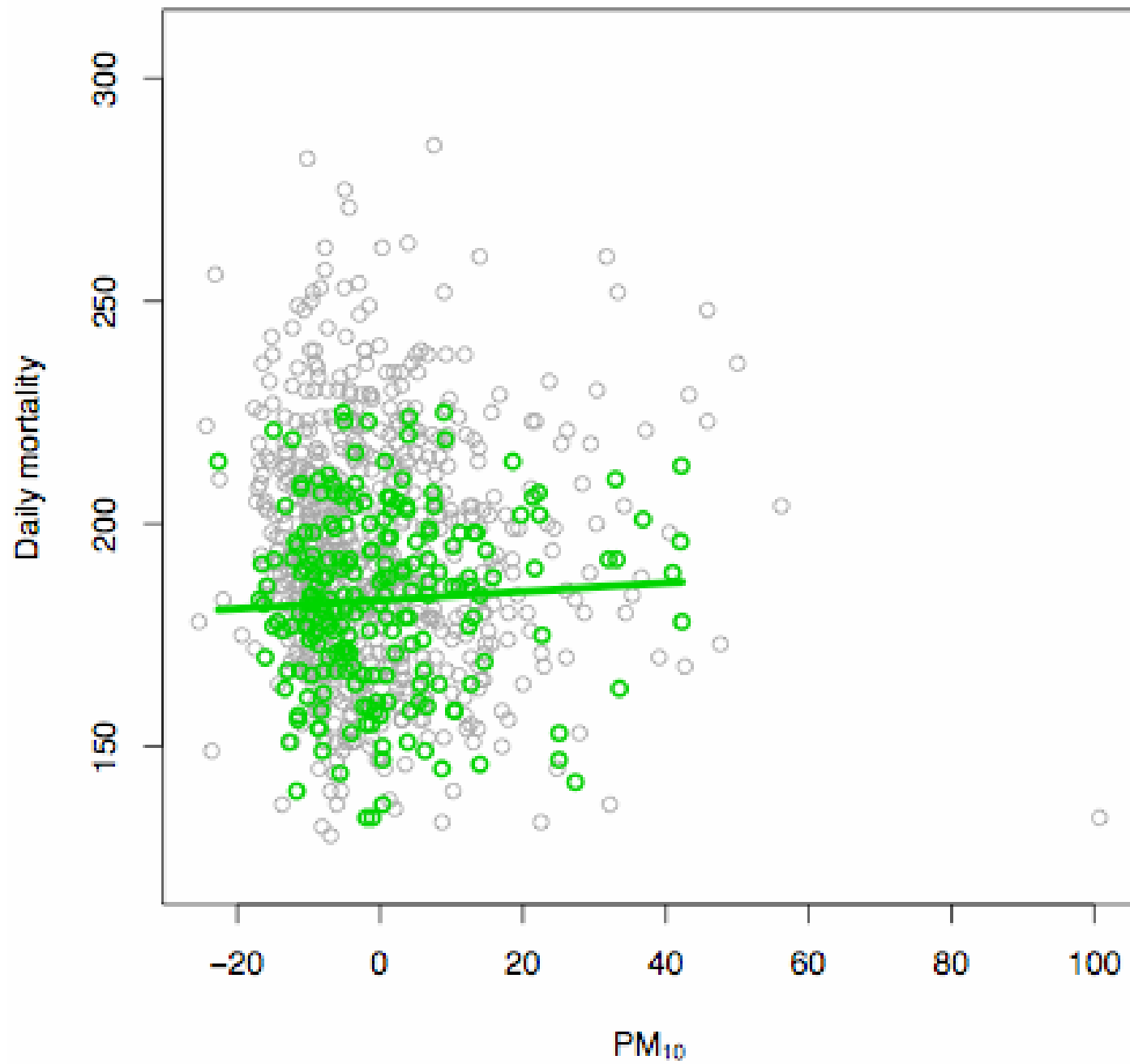
Confounding by Season: New York City



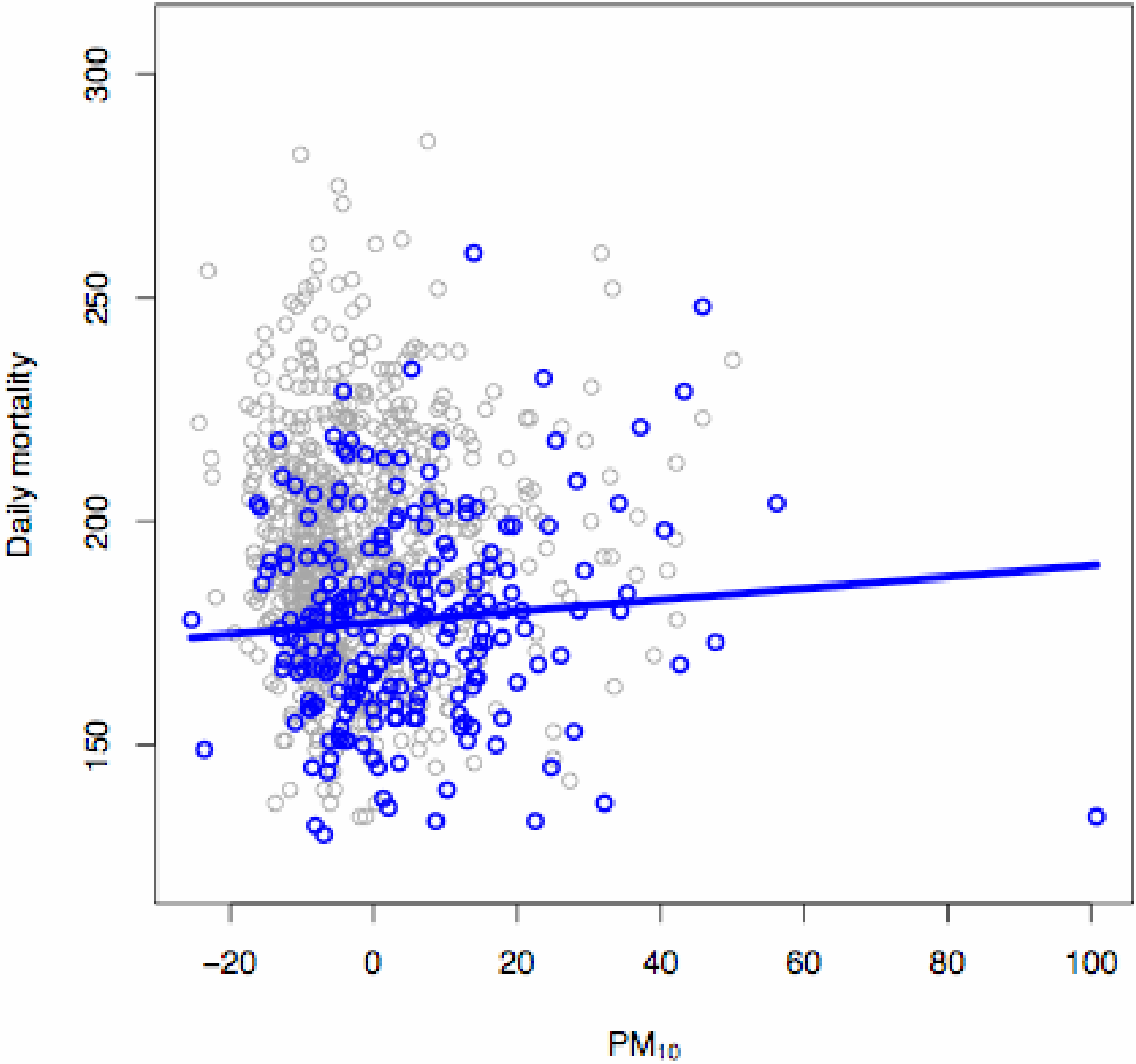
Winter



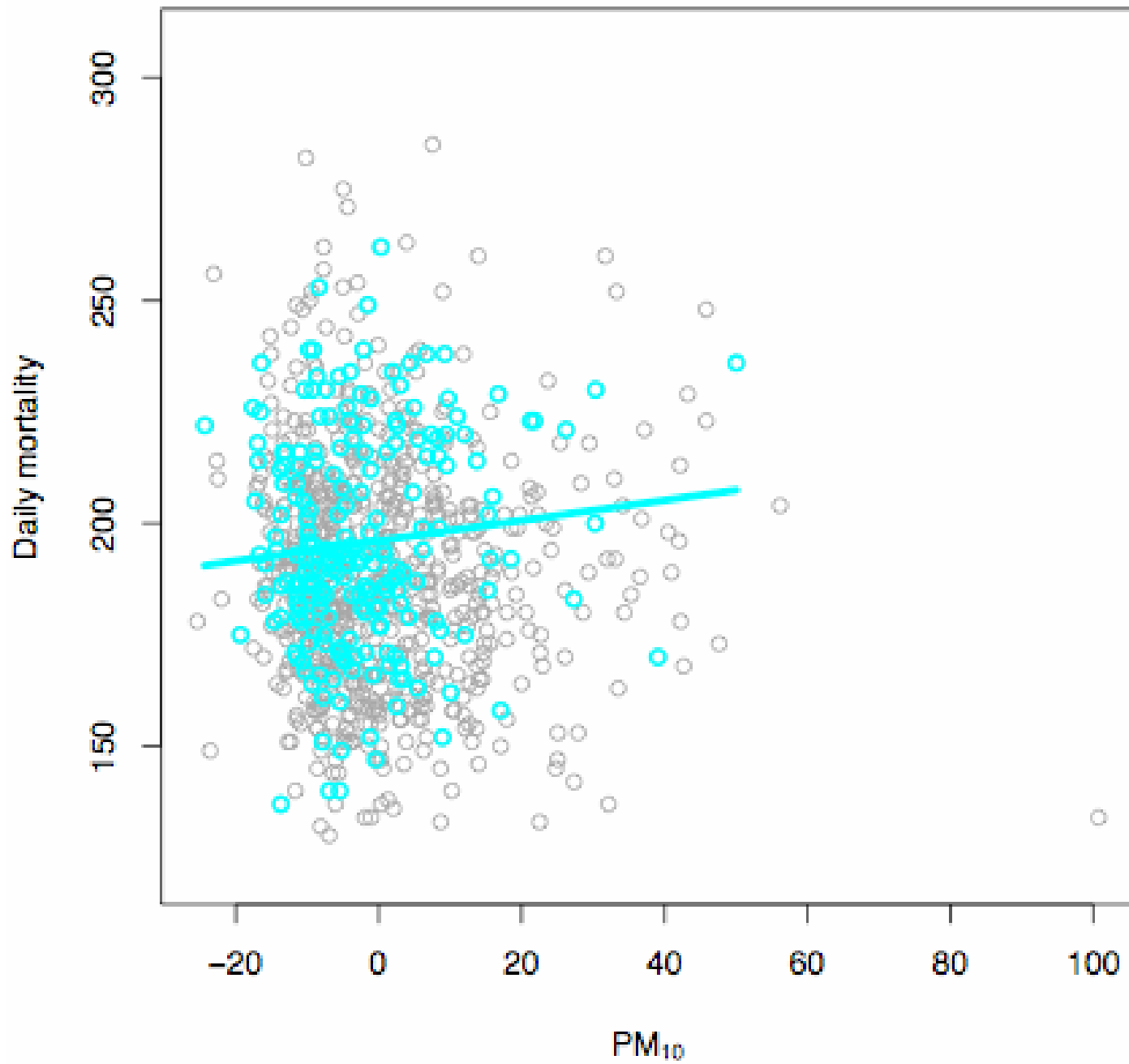
Spring



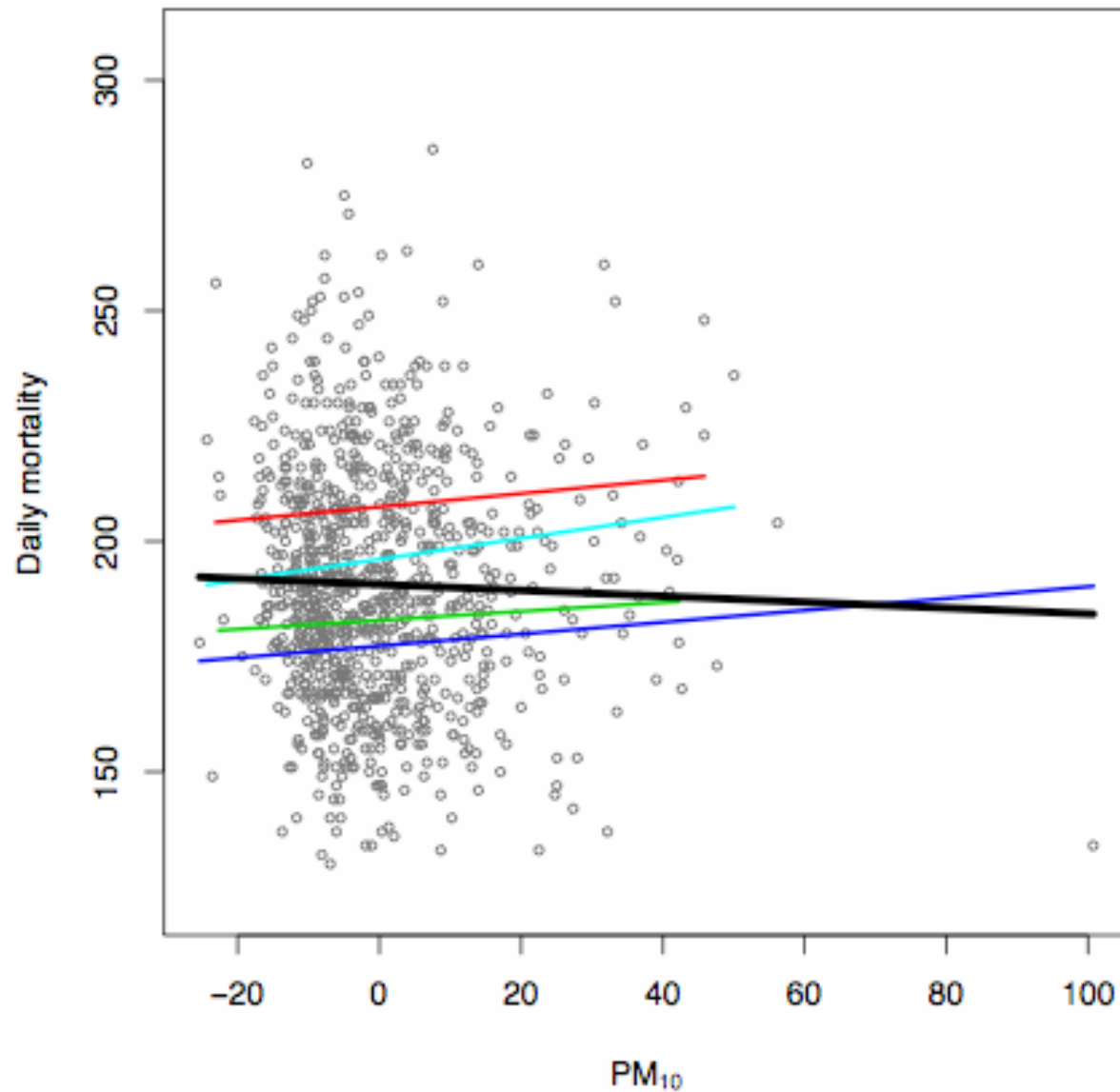
Summer



Fall



Season-specific associations are positive,
overall association is negative



Stage 1: City-specific model

Poisson regression model

$$Y_t^c \sim \text{Poisson}(\mu_t^c)$$
$$\log \mu_t^c = \beta^c x_{t-\ell} + s(\text{time}; df_1) + s(\text{temp}_t; df_2) + \dots$$

Pollutant series

Seasonal, long-term trends

Weather

Simulation Study Model of Mortality and Air Pollution

- Mortality

$$y_t \sim x_t + f(t) + \varepsilon_t$$

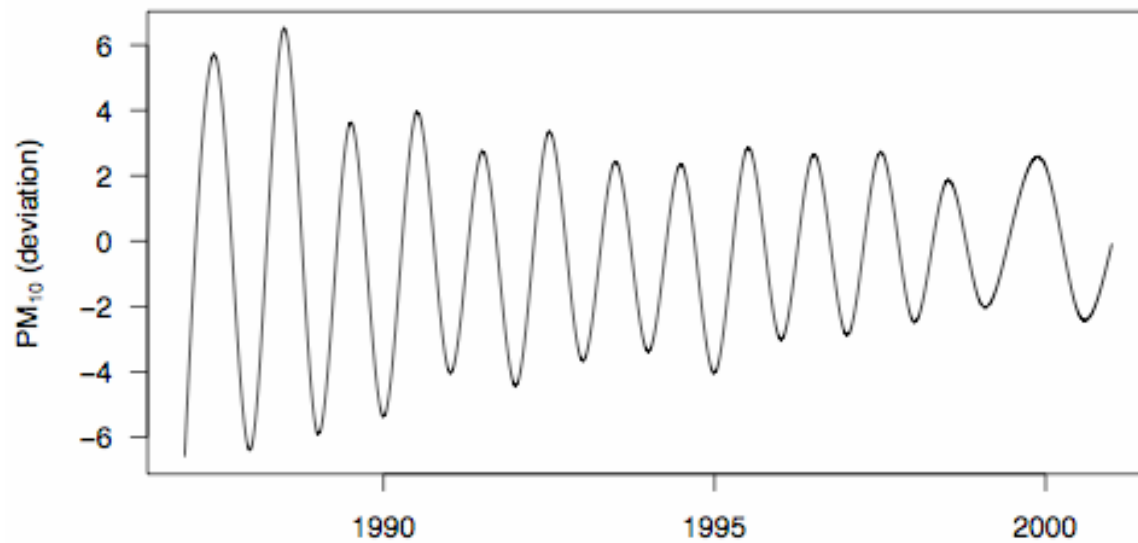
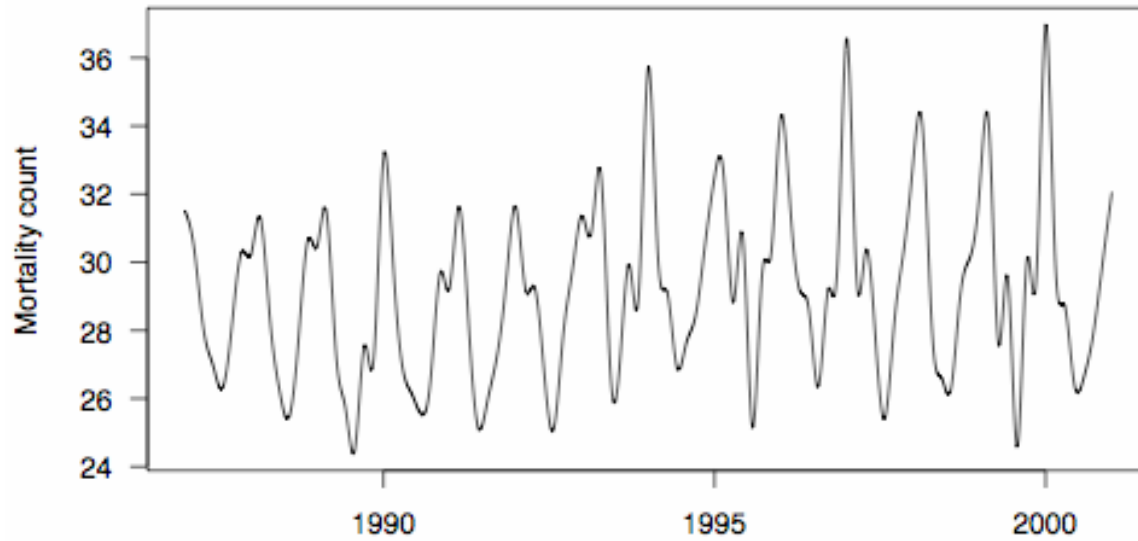
- Air pollution

$$x_t \sim g(t) + \delta_t$$

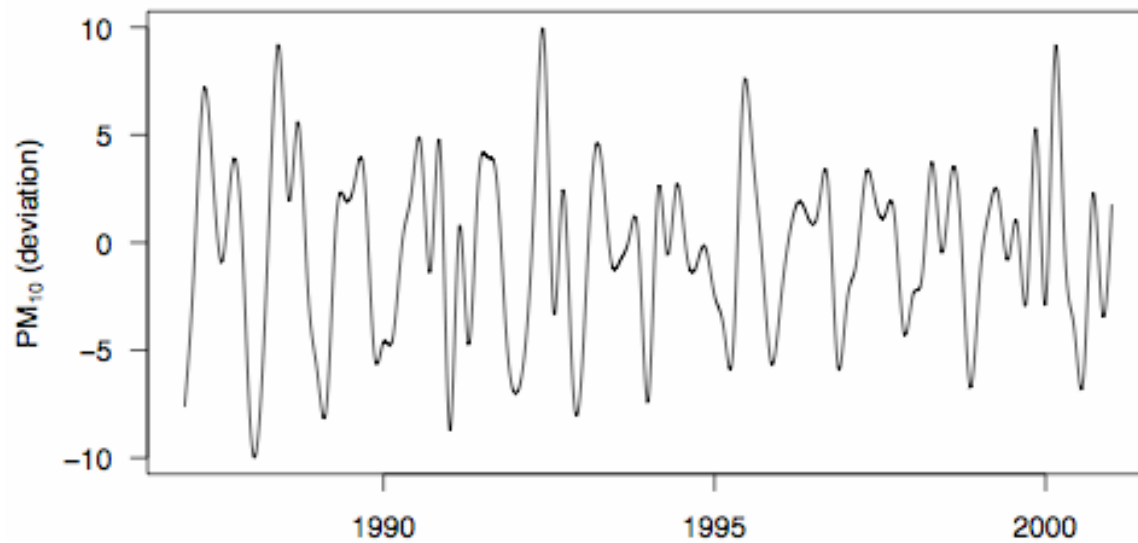
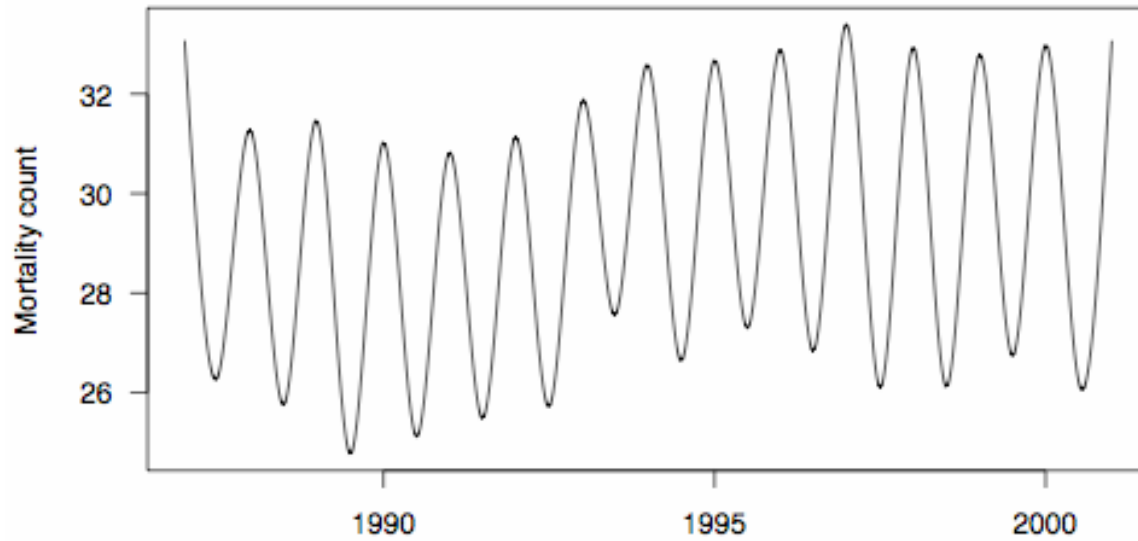
What is the relationship between f and g ?

Theory indicates f should have smoothness required to best predict x_t

Scenario 1



Scenario 2



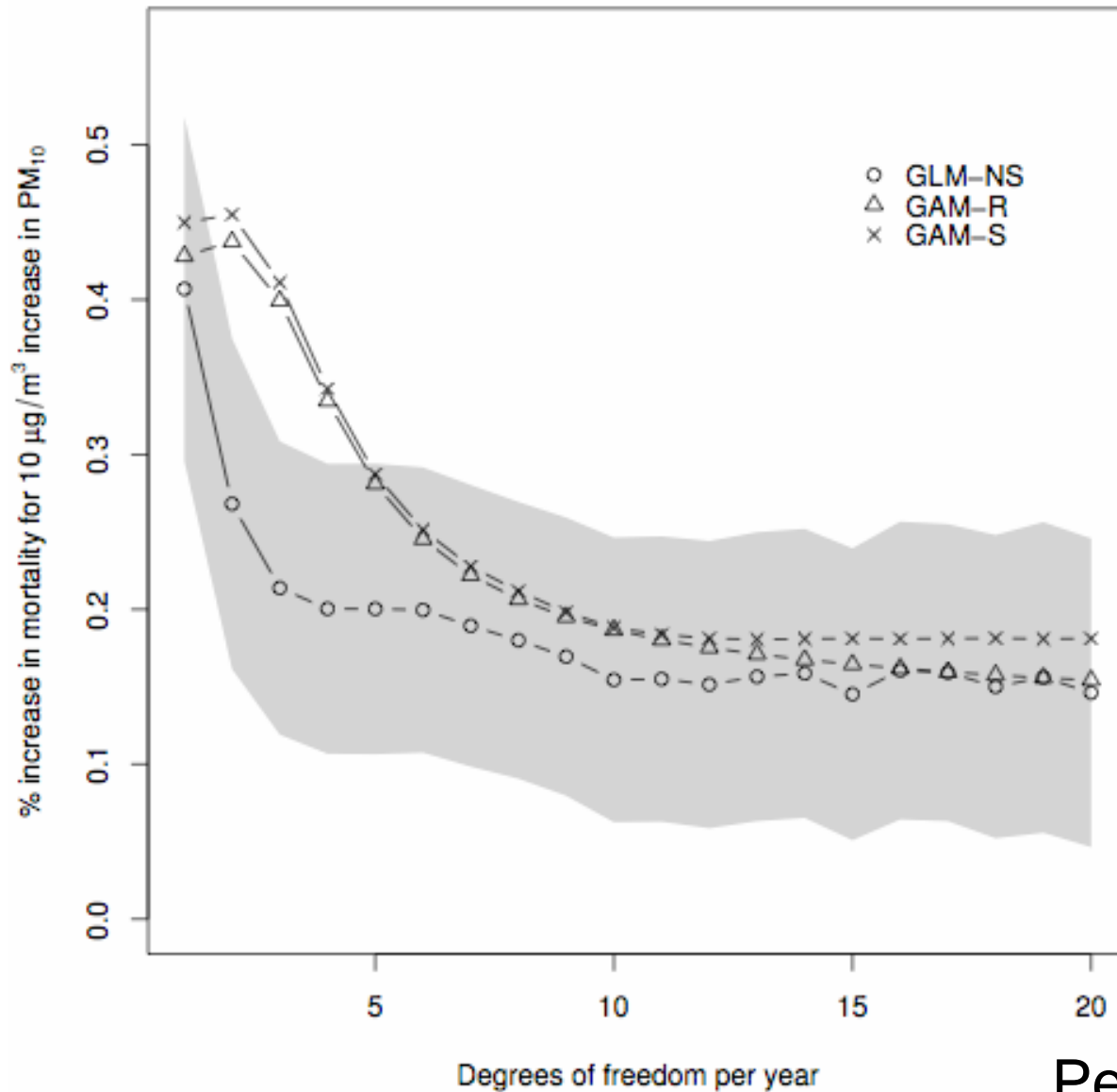
Comparison of model formulations in the literature

- Representing $s()$
 - smoothing splines
 - penalized splines
 - natural splines
- Choosing df
 - minimize AIC (best predict mortality)
 - minimize residual autocorrelation (via PACF)
 - best predict pollution ($GCV-PM_{10}$)

Results of simulation study

- Bias drops off as df increases
- Variance increases a little with df
- Nonparametric smoothers require more df to remove bias
- AIC and PACF methods more biased in Scenario 2
- Predicting x_t via GCV had best performance overall (w.r.t. mean squared error)

PM₁₀ and Mortality: Sensitivity of National Average Estimates to Adjustment for Seasonal Trends



Peng, *et al* 2006

National Ambient Air Quality Standards: Statistical research has an impact

- **From US EPA NAAQS Criteria Document 1996:** *“Many of the time-series epidemiology studies looking for associations between ozone exposure and daily human mortality have been difficult to interpret because of methodological or statistical weaknesses, including the a failure to account for other pollutant and environmental effects.”*
- **From US EPA Criteria Document 2006:** *“While uncertainties remain in some areas, it can be concluded that robust associations have been identified between various measures of daily ozone concentrations and increased risk of mortality.”*

What Next?

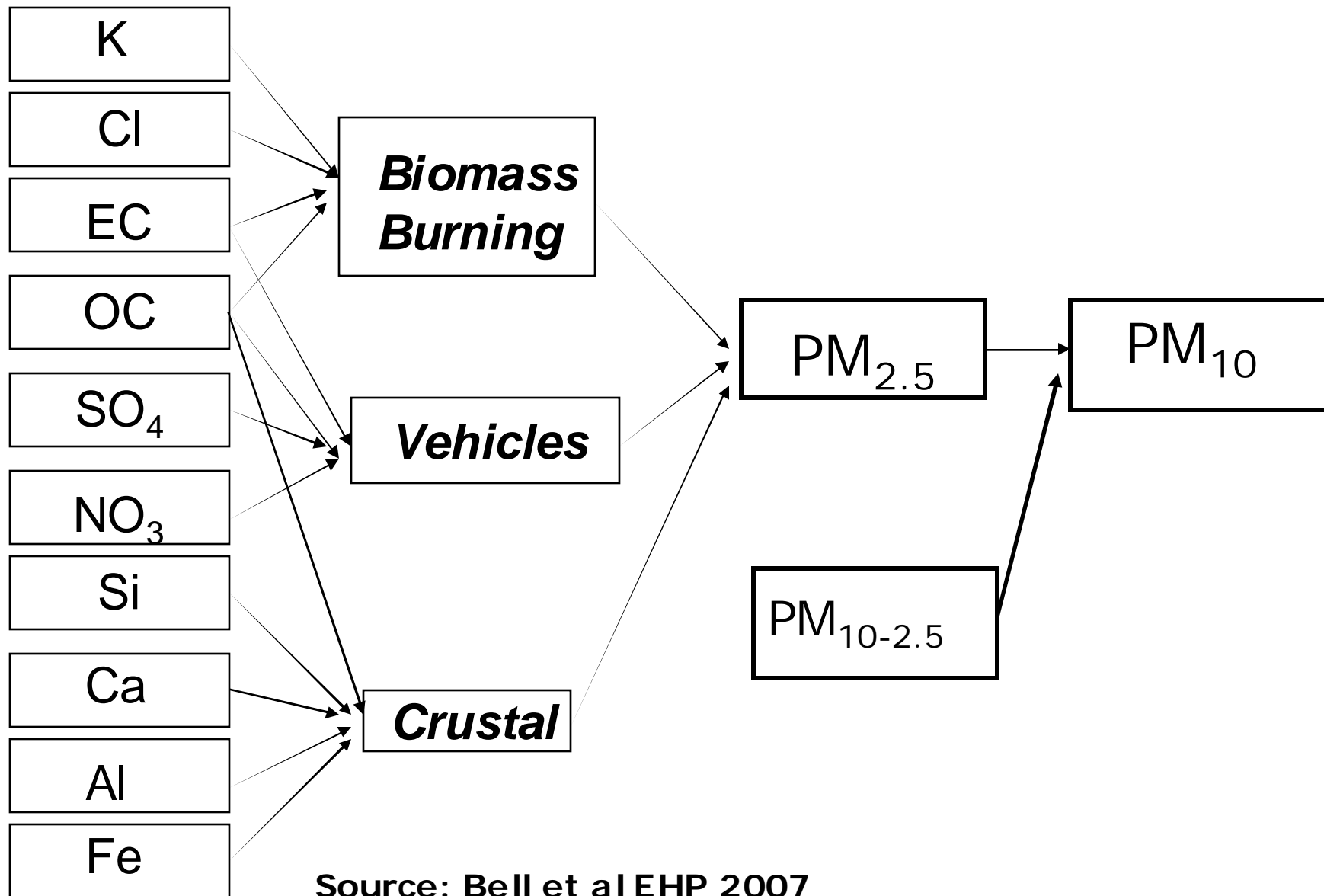
- What are the mechanisms of PM toxicity?
 - size, chemical component, source
- Data for ~60 chemical components are available but are sparse in time and space
- Individual constituents can be highly correlated with each other
- Interactions are potentially important and difficult to identify
- Sources are not measured
- Confounding issues are more complex

Chemical constituents

Source-markers

Size

Total mass



Source: Bell et al EHP 2007

What Next?

- In an increasingly complex setting, we need to be able to *see the evidence* in the data
 - Avoid lumping results together and providing “the answer” (although sometimes we need a number)
- Reproduce published findings
- Allow others to examine the data, check models and test assumptions
- Enable development of new models/methods
- We need *reproducible research*

Tools for Distributing Reproducible Research

- Doing research is primary, distributing it is often considered secondary
 - Is publishing an article enough?
- We lack an infrastructure for easily distributing statistical analyses to others (we often start from scratch each time)
- Need to automate the distribution process
- Allow people to work in their natural environment

Summary

- Time series models of air pollution and health are potentially confounded seasonal trends
- Risk estimates can vary over a wide range depending on the model chosen
- National average estimates from multi-site studies are generally robust to model choices
- Reproducible research is needed to allow others to assess the evidence and provide transparency

Collaborators

- Francesca Dominici
- Tom Louis
- Aidan McDermott
- Luu Pham
- Ron White
- Jonathan Samet
- Scott Zeger
- Michelle Bell (Yale)
- Keita Ebisu (Yale)
- Leah Welty (NWU)

Stage 1: City-specific model

Poisson regression model

$$\begin{aligned} Y_t^c &\sim \text{Poisson}(\mu_t^c) \\ \log \mu_t^c &= \beta^c x_{t-\ell}^c + \text{DOW}_t + \text{AgeCat} \\ &\quad + s(\text{temp}_t; df_1) + s(\text{temp}_{t,1-3}; df_2) \\ &\quad + s(\text{dew pt}_t; df_3) + s(\text{dew pt}_{t,1-3}; df_4) \\ &\quad + s(t; df_5) + s(t; df_6) \times \text{AgeCat} \end{aligned}$$

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Pollutant series

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Weather
↙

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Seasonal and long-term trends



Designing Tools for the Research Pipeline

